

Name: _____					
Subject: Mathematics		Class: 11th	Time: 80 minutes	Total Marks:	40
Chapter No.08		MJDexpert.com			Obtained marks

Note: Please attempt any 10 short questions from Question 2. Also, attempt both parts of Question 3. Cutting and removal of any content is strictly prohibited.

Question.No.01:- Choose the correct answer. (10x01=10)

		A.	B.	C.	D.
i.	The number of expansions of $(x^2 - 1)^7$ is:	2	7	8	12
ii.	In the expansion of $(3 + x)^4$ middle term is:	81	$54x^2$	$26x^2$	x^4
iii.	The algebraic expression consisting of two term is called:	Monomial	Binomial	Trinomial	Polynomial
iv.	The sum of exponent "a" and "b" in every term in the expansion of $(a + b)^n$ is_____.	1	n	$n + 1$	$n - 1$
v.	The sum of binomial coefficients in the expansion of $(1 + x)^4$ is:	8	10	16	32
vi.	Sum of binomial coefficients is	N	2^n	$2n$	n^2
vii.	The expansion of $(8 - 2x)^{-1}$ is valid only if:	$x > 4$	$ x < 4$	$ x = 0$	$ x = 4$
viii.	The middle term of the expansion of $(x - \frac{1}{x})^{12}$ is.	6 th term	7 th term	8 th term	5 th term
ix.	For what value of expression $3^n > n!$ Is untrue if $n \in \mathbb{Z}$.	$n = 6$	$n = 7$	$n = 2$	$n = 3$
x.	Using binomial theorem $(2.02)^4$ approximation up to two decimal place	16.64	16.44	16.40	16.60

Question.No.02: -Solve all parts. (02x10=20)

i.	State principle of mathematical induction?
ii.	Calculate $(0.97)^3$ by means of binomial theorem?
iii.	Use mathematical induction to prove the formula $1+3+5+7+\dots+(2n-1)=n^2$.
iv.	Define Binomial theorem.
v.	Find the 5 th term in the expansion $(\frac{3}{2}x - \frac{1}{3}x)^{11}$
vi.	Expand up to 3 terms $(4 - 3x)^{1/2}$.
vii.	If x is so small that its square and higher power can be neglected show that $\frac{\sqrt{1+2x}}{\sqrt{1-x}} \approx 1 + \frac{3}{2}x$
viii.	Use binomial theorem to expand $(\frac{x}{2} - \frac{2}{x^3})^6$.
ix.	By means of binomial theorem expand $(2.02)^4$.
x.	Expand $\sqrt{99}$ by using binomial expansion to find its value up to three decimal place.

Question.No.03:- (02x05=10)

a)	Use binomial theorem to expand $(\frac{x}{2y} - \frac{2y}{x})^8$.
b)	If x is nearly equal 1, then prove that $px^p - qx^q \approx (p - q)x^{p+q}$.